

## Glossary-Contents

**binomial**

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## Abel

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## Bell partial polynomials

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## Bernoulli

- Szablowski2014, *A few remarks on Euler and Bernoulli polyn. and their connections with binom. coef. and modified Pascal matrices*, Math. Æterna, Vol. 4, 2014, no. 1, 83 - 88, [gen>](#)

## Catalan

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## combinatorial theory

- Strehl1994, *Binomial identities -- combinatorial and algorithmic aspects*, Discrete Math. Vol. 136, Issues 1–3, 31 Dec1994, 309–346, [gen>](#)
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## congruences

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## Euler

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## identities, inequalities

- Strehl1994, *Binomial identities -- combinatorial and algorithmic aspects*, Discrete Math. Vol. 136, Issues 1–3, 31 Dec1994, 309–346, [gen>](#)

## inverse (reciprocal) numbers, sums, polynomials

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## Krawtchouk

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## Lucas

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## *process*

- Stam1988, *Polynomials of binomial type and compound Poisson processes*, J. Math. Anal. Appl. Vol. 130, Issue 2, Mar 1988, 493–508, [jou>](#)

## *Stirling*

- Gould1967, *The Bracket function, q-binomial coefficients, and some new Stirling number formulas*, Fibonacci Quart. 1967 (5,5): 401-423, [fibqy>](#)

## *Touchard*

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## *transforms*

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